



Bayesian Data Analysis for REACH

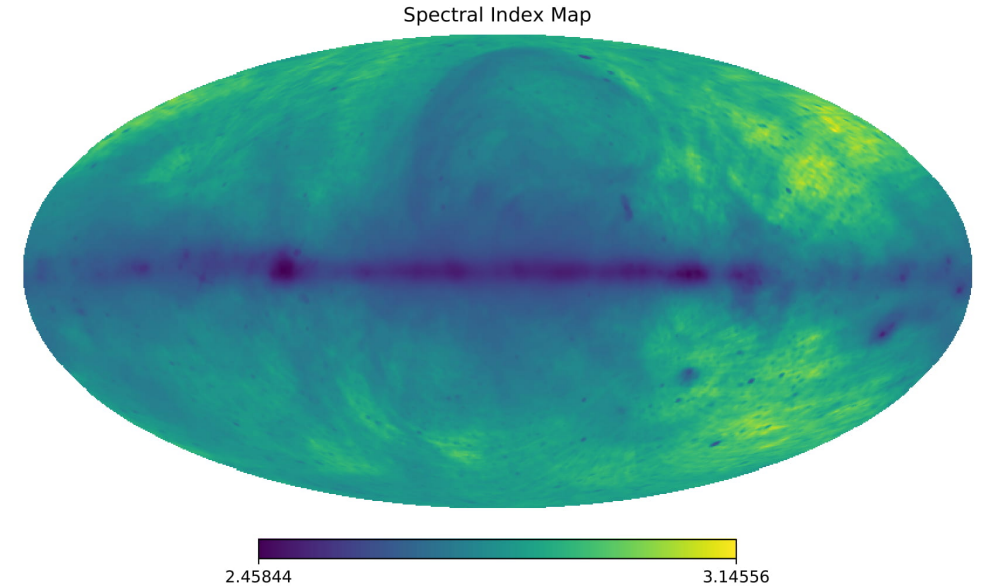
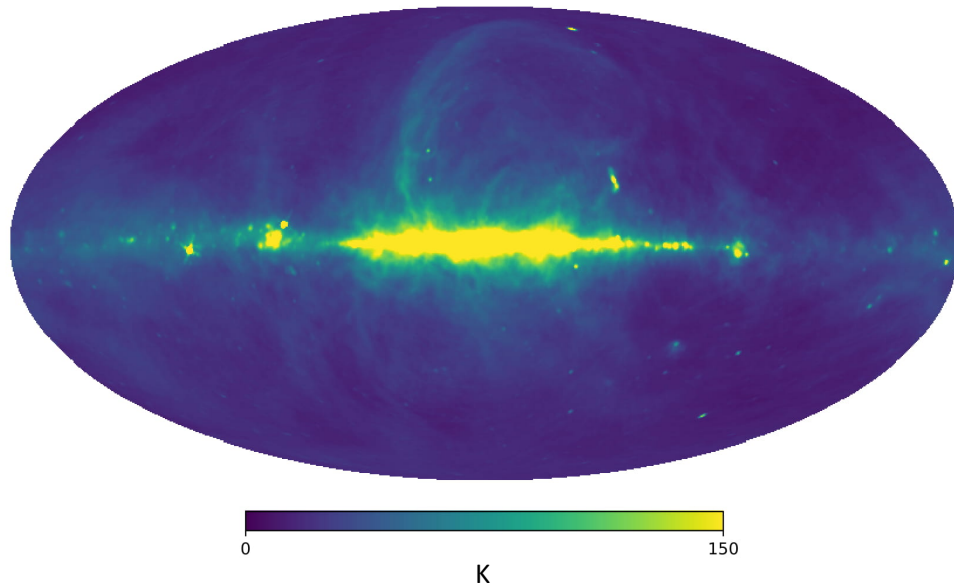
2nd Global 21cm Workshop 2019

Dominic Anstey
PhD Student

PolyChord – Bayesian Nested Sampling Algorithm (Handley, Hobson & Lasenby 2015)

- Model comparison through Bayesian Evidence
- Ranking parameter evaluation speeds

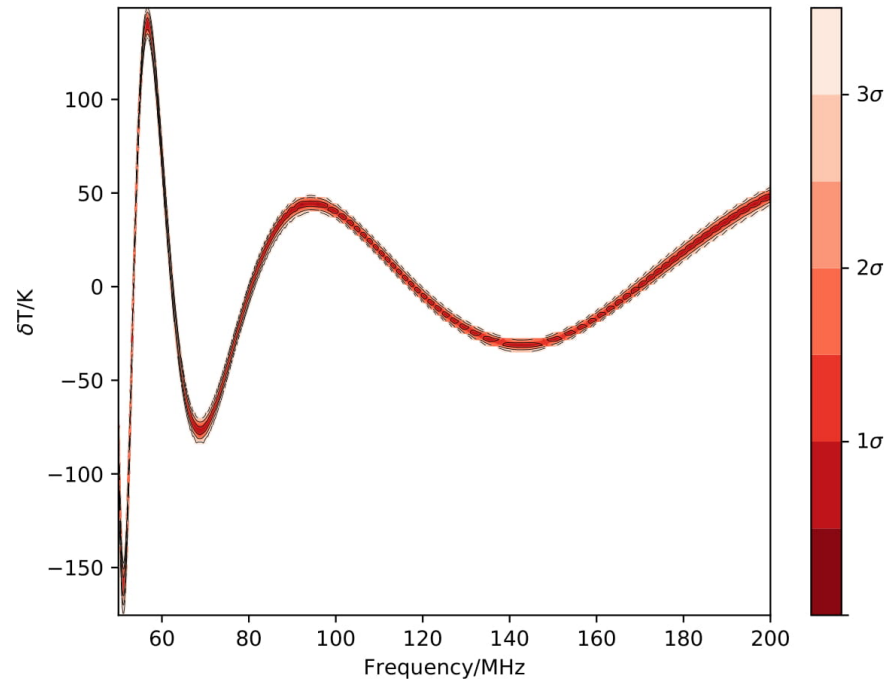
Varying B sky model



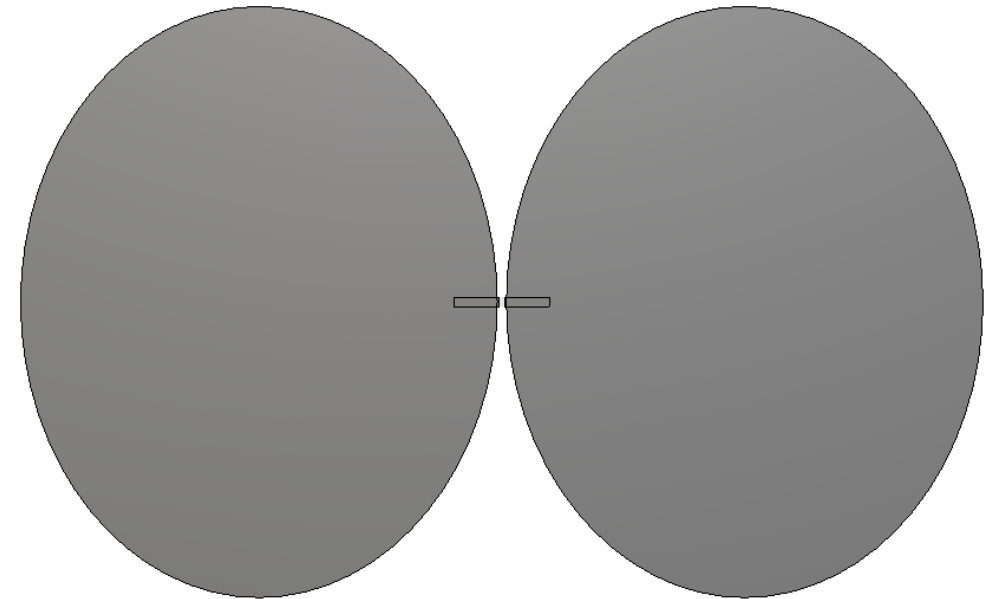
$$\ln(T_{foreground}(\nu)) = \sum_{i=0}^4 a_i \left(\ln \left(\frac{\nu}{\nu_0} \right) \right)^i$$

- Remazeilles et al. 2015
- de Oliveira-Costa et al 2008

Elliptical Dipole Antenna



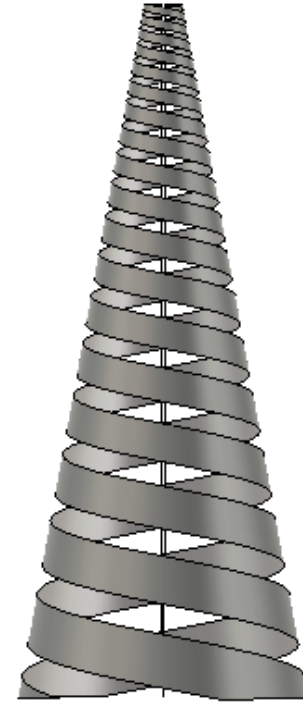
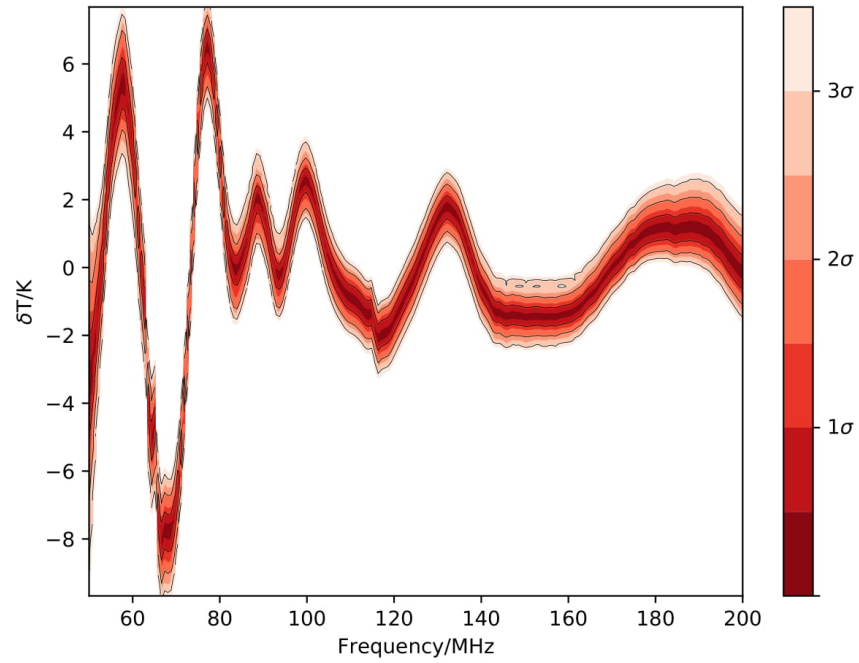
Antenna designs not finalised



Antenna patterns and images provided by
John Cumner and Quentin Gueuning

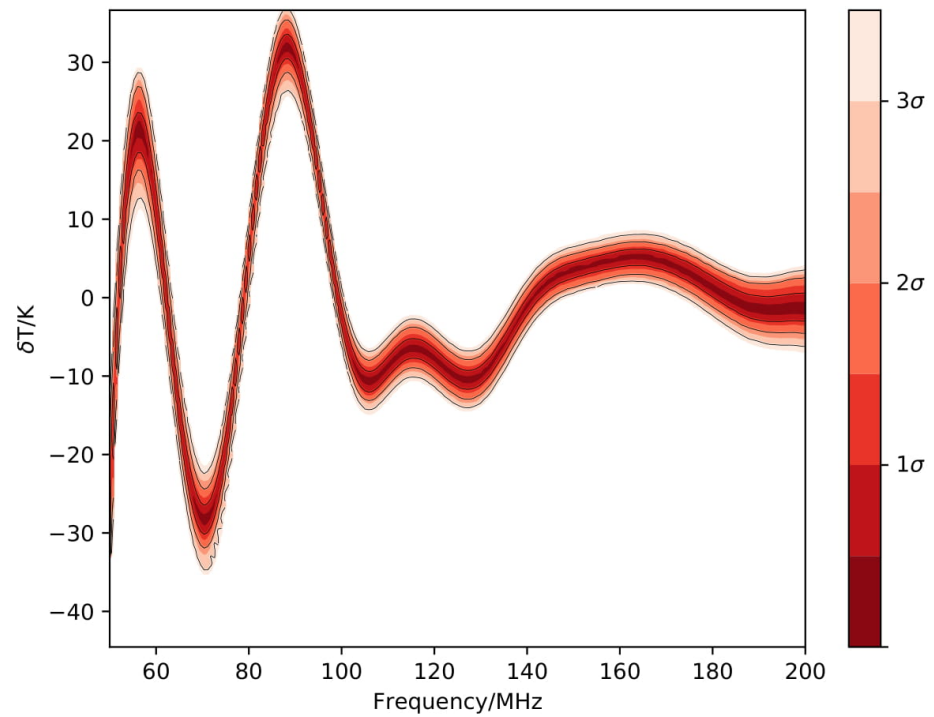
Log Spiral Antenna

Antenna designs not finalised

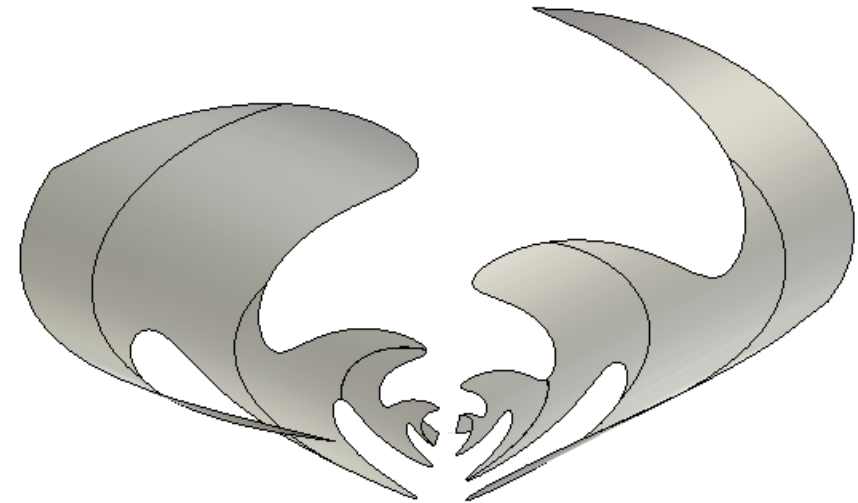


Antenna patterns and images provided by John Cumner and Quentin Gueuning

Conical Sinuous Antenna

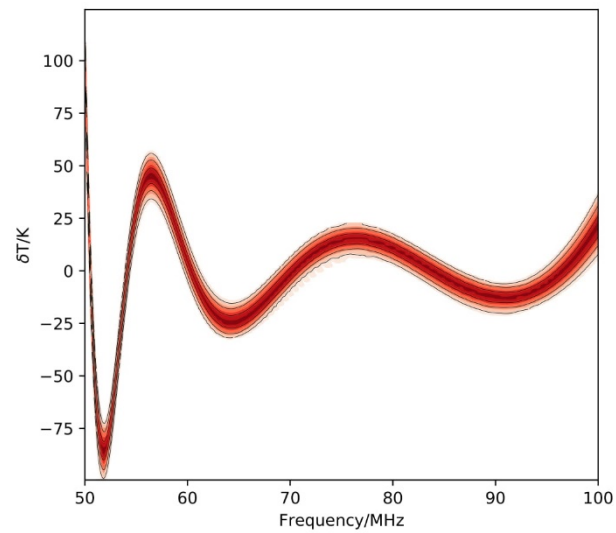


Antenna designs not finalised

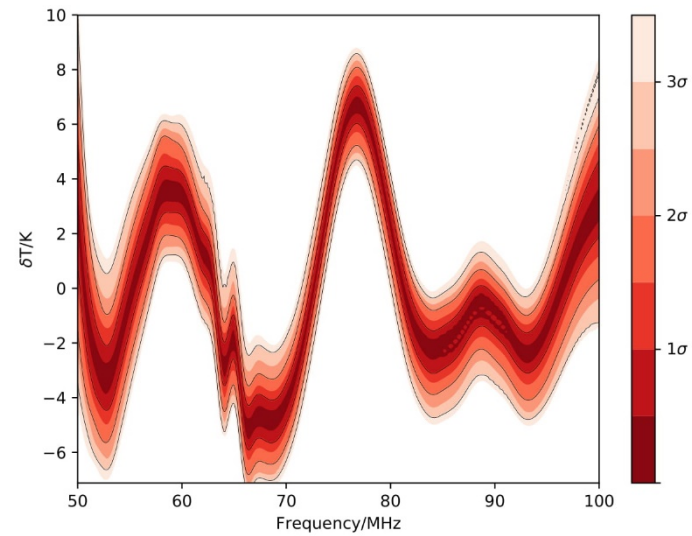


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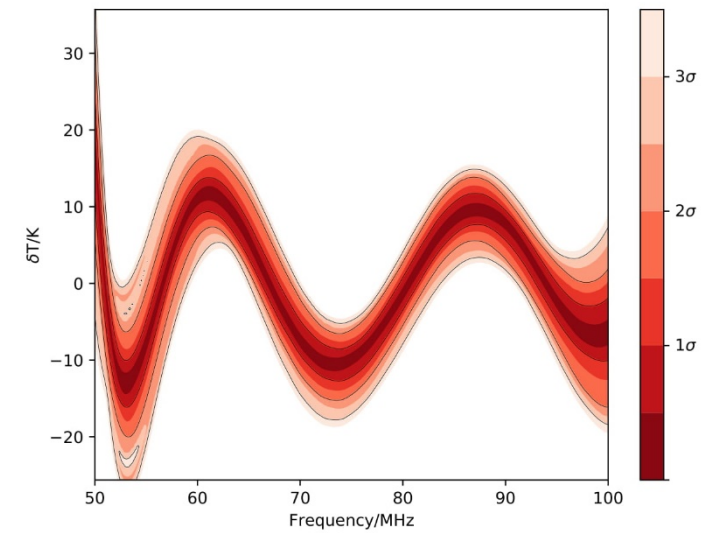
Narrow Frequency Band



Elliptical Dipole



Log Spiral

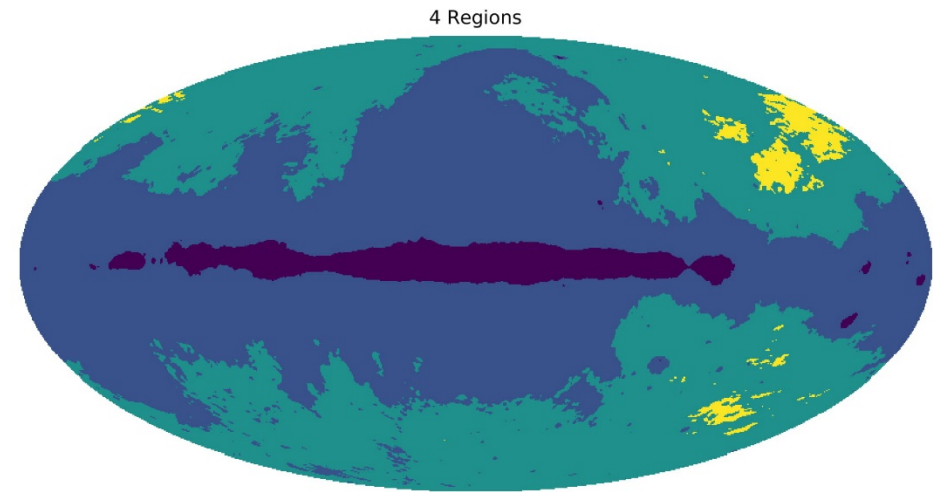
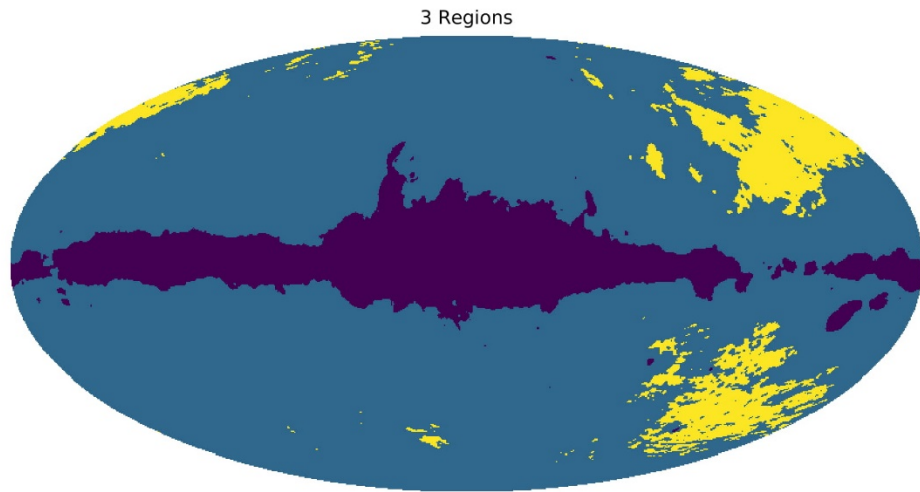


Conical Sinuous

General Modelling Protocol

- Generate a parameterised model of the entire sky across the whole frequency range
- Generate a parameterised model of the antenna pattern
- Fit a foreground model of the convolution of the pattern model with the sky model

Sky Division



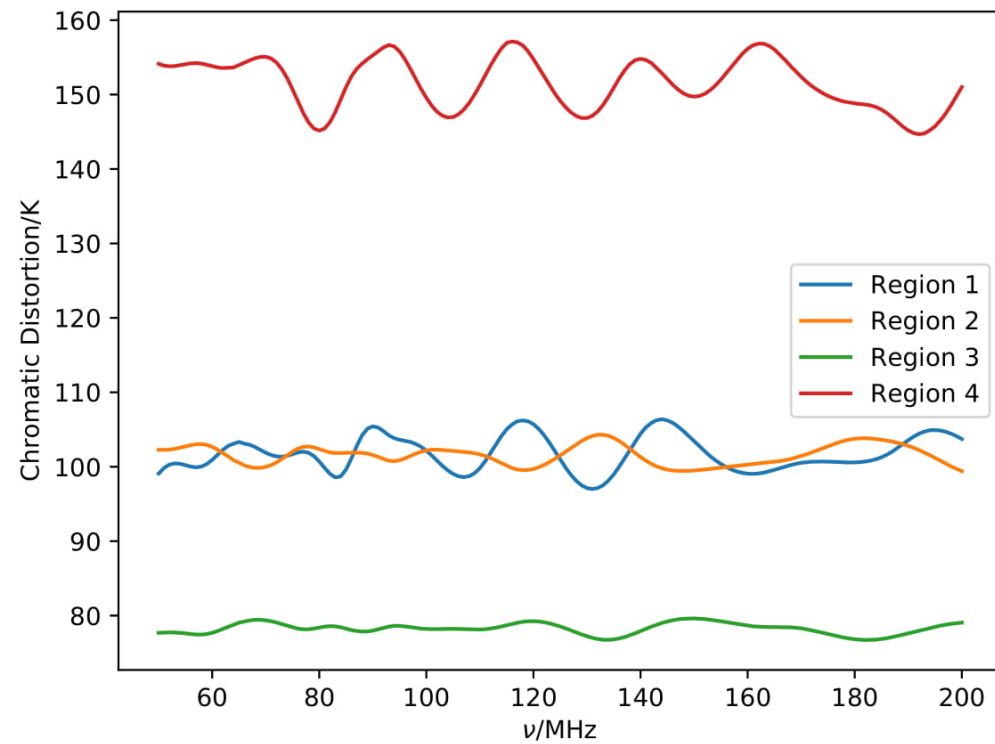
Anstey et al. 2019, in prep.

Foreground Model Function

$$K_i(\nu) = \frac{1}{4\pi} \int_{sky} G(\theta, \varphi, \nu) M_i(\theta, \varphi) \int_{time} [T_{base}(\theta, \varphi) - T_{CMB}] dt d\Omega$$

$$T_{foreground}(\nu) = A \sum_{i=1}^N K_i(\nu) \left(\frac{\nu}{\nu_{base}} \right)^{-\left(B_i + C_i \ln\left(\frac{\nu}{\nu_0} \right) \right)}$$

Chromatic Functions



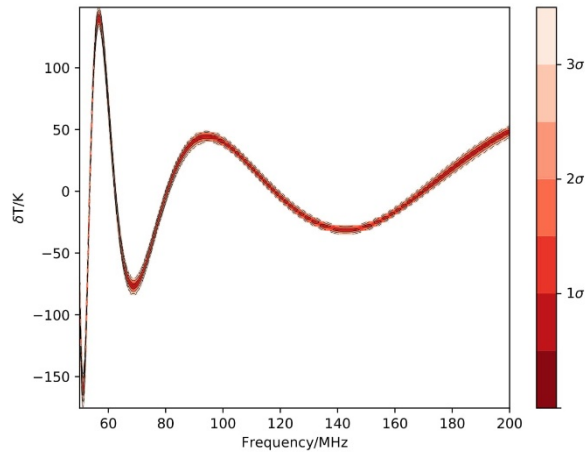
Anstey et al. 2019, in prep.

Foreground Model Function

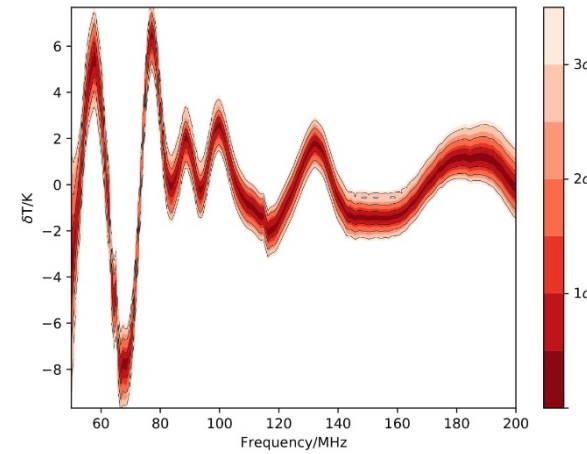
$$K_i(\nu) = \frac{1}{4\pi} \int_{sky} G(\theta, \varphi, \nu) M_i(\theta, \varphi) \int_{time} [T_{base}(\theta, \varphi) - T_{CMB}] dt d\Omega$$

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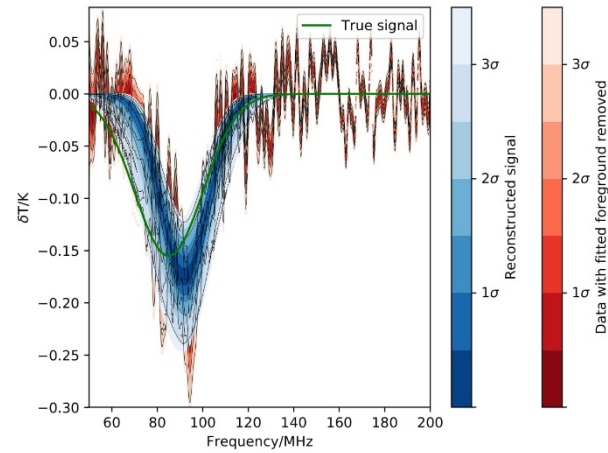
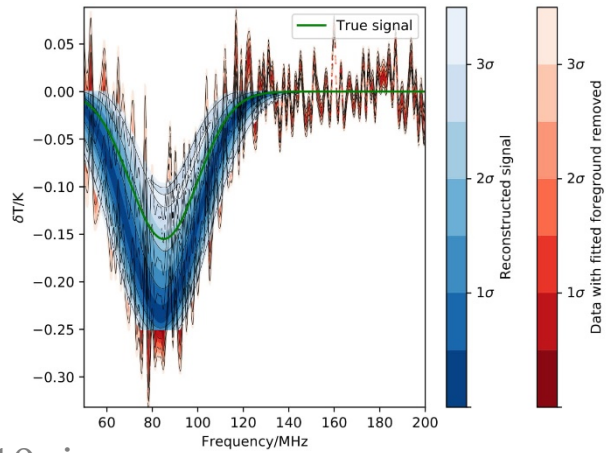
Results



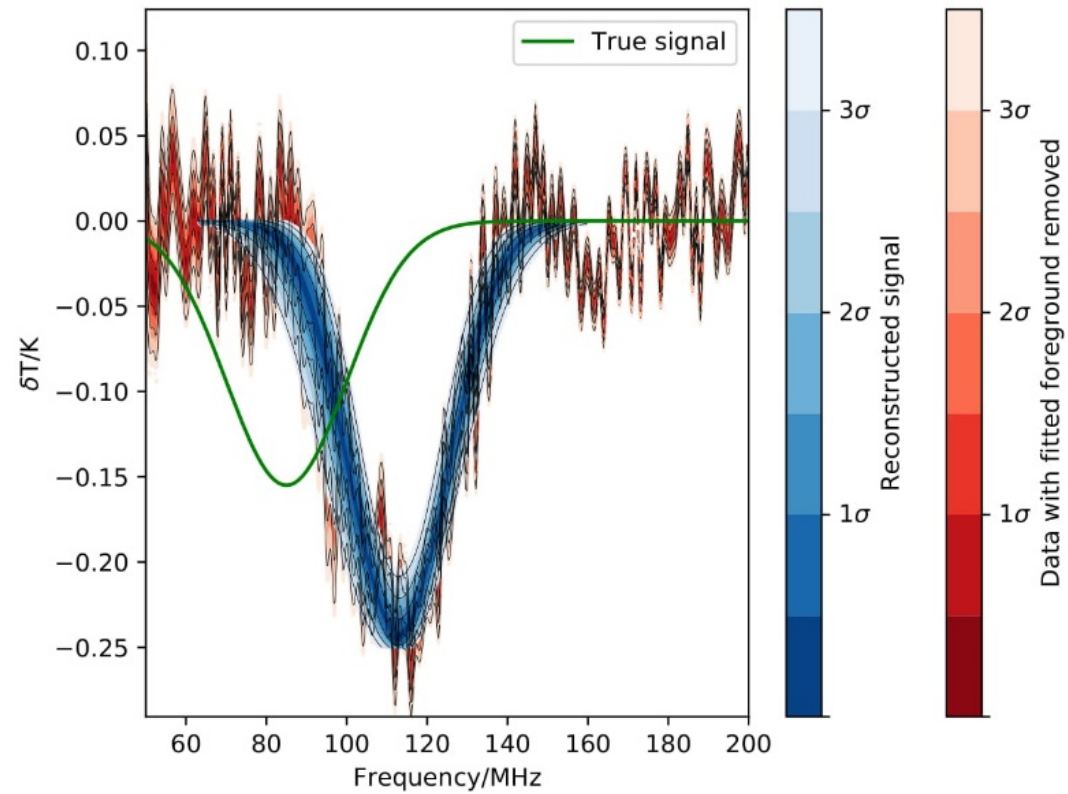
Elliptical Dipole



Log Spiral



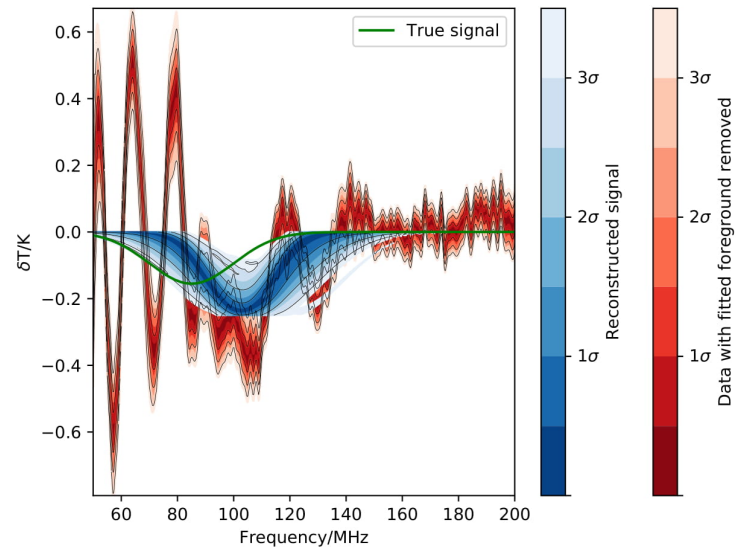
Inefficiencies



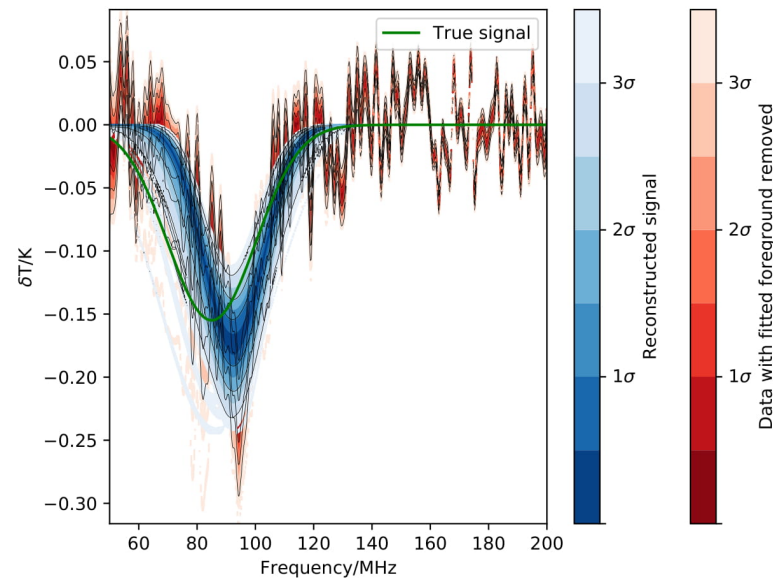
Conical Sinuous Antenna

Numbers of sky regions

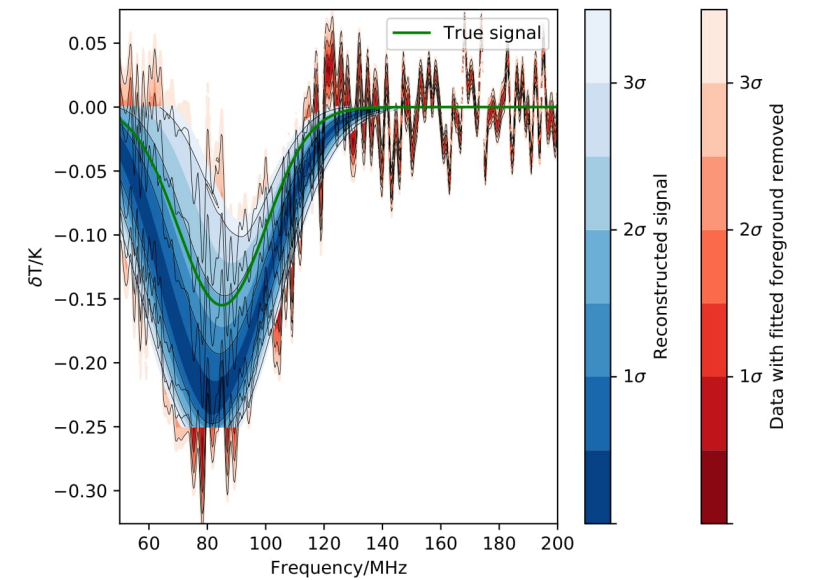
3 Regions



4 Regions



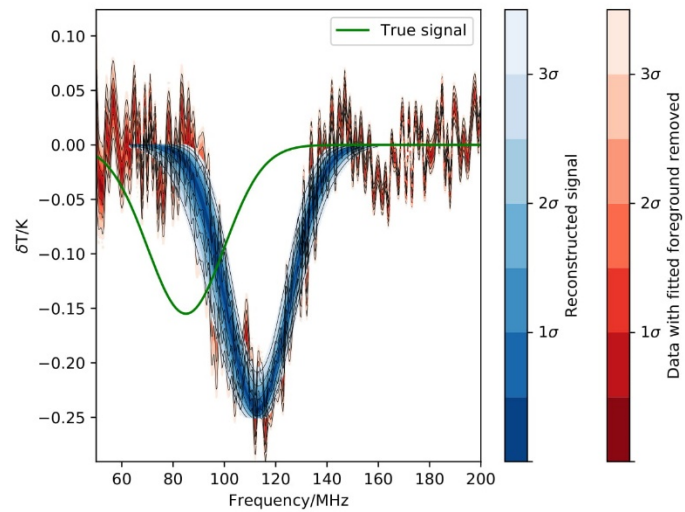
5 Regions



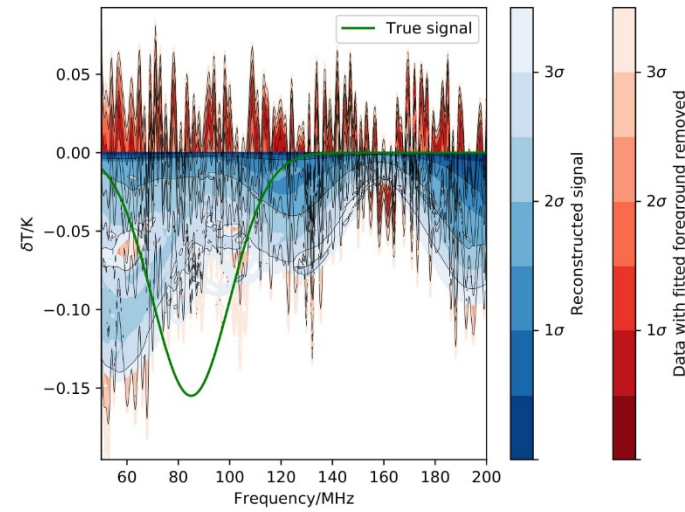
Log Spiral Antenna

Inefficiencies

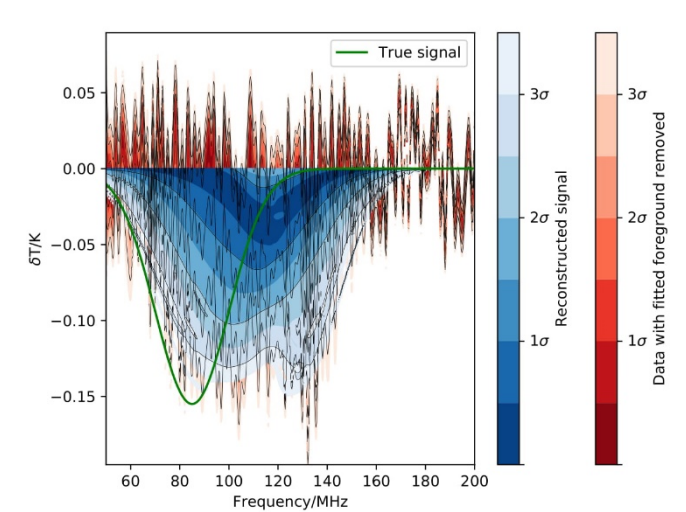
4 Regions



8 Regions



11 Regions



Conical Sinuous Antenna

Summary

- Even smooth, simple antennae produce enough chromatic distortion to conceal the 21cm signal when the spectral index varies
- The proposed method of fitting the foregrounds via modelling can correct for this distortion sufficiently for the 21cm signal to be identified, provided the antenna is quite smooth.
- Increasing the number of regions the sky model is divided into improves the quality of the chromaticity correction
- The distortion cannot be accurately modelled if too few regions are used

Acknowledgements

Eloy de Lera Acedo
Will Handley
John Cunner
Quentin Gueuning
Nicolas Fagnoni
Nima Razavi-Ghods
Anastasia Fialkov
Richard Hills
Paul Alexander

Plots produced using fgivenx
tool: Handley, 2018



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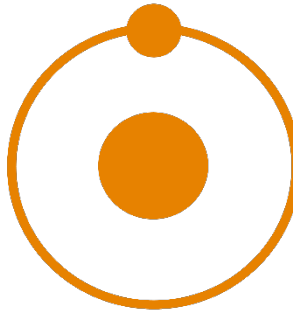
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